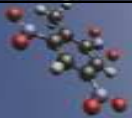


Equilibrium – Acids and Bases

Definition – Acids and Bases
 The Dissociation of Acids (K_a)
 The Dissociation of Water (K_w)
 Conjugate Acids and Bases
 Using K_w
 Calculating pH

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Acids and Bases

- We have used acids and bases for a number of years now. We know that they:
 - Turn litmus and universal indicator red (acids) and blue (bases)
 - They produce hydrogen gas with reactive metals
 - They produce carbon dioxide with carbonates
 - They have an H (hydrogen) in their chemical formula
- Now we have a more complex set of definitions:
 - Acids are proton (H^+) donors (they give them away)
 - Bases are proton (H^+) acceptors (they take them)

Note: When H^+ comes in contact with water it forms an ion called hydronium (H_3O^+). So technically $H^+_{(aq)}$ doesn't exist.



Dissociation of Acids

- As mentioned earlier acids donate protons (H⁺). This means that there must be a hydrogen available somewhere in the compound.
- When a compound dissociates, breaks apart. When an acid dissociates it breaks off an H⁺. This happens when an acidic compound enters water and it ionises.
- There are different levels of dissociation:
 - Some compounds of hydrogen dissociate very easily in water, these are strong acids
 - Some do not dissociate readily, these are weak acids
 - Some do not dissociate, they are not acids

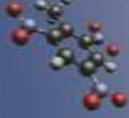


Acid Dissociation Constant (K_a)

- With weak acids the dissociation is an equilibrium situation:

$$\text{HA} \rightleftharpoons \text{H}^+ + \text{A}^-$$
- This means that while some of the HA is breaking up into H⁺ and A⁻, some of the reverse reaction is occurring (HA is being remade)
- If we always use a 1 molL⁻¹ solution of acid then we can change our original formula for working out the equilibrium constant to this:

$$K_a = \frac{[\text{H}^+][\text{A}^-]}{[\text{HA}]}$$
- This equilibrium constant is called an acid dissociation constant (or K_a for short)



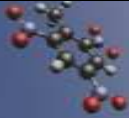
Strong Acids - Weak Acids

- A strong acid has a high K_a value, a weak acid has a small K_a value.

Examples:

- HCl, H_2SO_4 , HNO_3 - these are strong acids because they dissociate fully (there is none of the original compound intact)
- NH_4^+ - a weak acid because most of the NH_4^+ remains intact

- Note: 'Concentrated' and 'dilute' refer to the concentration of the acid. For example you can have a *dilute* strong acid or a *concentrated* weak acid.



The Dissociation of Water (K_w)

- Water also dissociates like an acid. This is what happens:

$$2H_2O(l) \rightleftharpoons H_3O^+_{(aq)} + OH^-_{(aq)}$$
- You may have noticed that it broke up into an acid (H^+) and a base (OH^-). These two components react again to make water.
- Because this equilibrium situation is used a lot it is given a special name and symbol:

$$K_w = [H_3O^+][OH^-]$$
- K_w is the Dissociation constant for water. It has a value of:

$$K_w = 1 \times 10^{-14}$$

Conjugate Acids and Bases

- When a weak acid dissociates in water the piece that the H^+ breaks off still has the ability to bond again with the H^+ . This makes the fragment a proton acceptor, and therefore a base.
- This base is called a conjugate base. All weak acids can form conjugate bases e.g:

$$\text{CH}_3\text{COOH} \rightleftharpoons \text{CH}_3\text{COO}^- + \text{H}^+$$

Weak Acid → ← Conjugate Base
- Also, any weak base can have a conjugate acid:

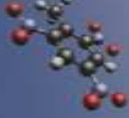
$$\text{NH}_3 \rightleftharpoons \text{NH}_4^+$$

Weak Base → ← Conjugate Acid

What is pH?

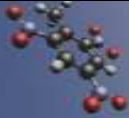
- pH is a measure of the levels H_3O^+ in the solution. It is a log scale - like the Richter scale - every whole number is actually an change by a factor of **ten**.
- It is calculated using the following formula:

$$\text{pH} = -\log[H_3O^+_{(aq)}]$$
- In other words we:
 - Find the H_3O^+ concentration
 - Log it (using a calculator)
 - Then change the + or - sign at the front of the number



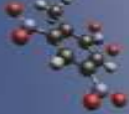
Example I: Calculating pH

- Joan has a dilute acid solution. It has a Hydronium concentration of $1 \times 10^{-11} \text{molL}^{-1}$. What is the pH?
 1. On my calculator I press the **log** button
 2. Now I type in 1×10^{-11} (1 then **exp** then **11** then +/-)
 3. Press = then the +/- button again
- My answer is: pH = 11
- Notice how the answer is the exponent with the - sign changed? This shows us that for every increase by a pH of 1, we actually have a **decrease in acid** (by a factor of 10)



Example II: Calculating $[\text{H}_3\text{O}^+]$

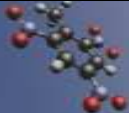
- Joan now has an acid solution. It has a pH of 3.0. What is the $[\text{H}_3\text{O}^+]$?
 1. First I press the **2nd Fnct / inv / shft** button (one of those three will probably be there) then the **log** button
 2. I now type in **3.0** then the +/- button
 3. Press =
- My answer is: $[\text{H}_3\text{O}^+] = 1 \times 10^{-3} \text{molL}^{-1}$
- Again, please note that the pH and the $[\text{H}_3\text{O}^+]$ are very closely related



Using Kw

- The water dissociation constant can be used to calculate the OH⁻ or H₃O⁺ of a solution because no matter how much acid or base we add the following formula always works:

$$1 \times 10^{-14} = [\text{H}_3\text{O}^+][\text{OH}^-]$$
- It looks just like the K_w equation but when we change the concentration of acid or base in a solution it can no longer be called an equilibrium constant calculation (the conditions are no longer *standard*). This is now an 'Ionic Product' calculation.
- Using some maths we can do some substitution if we know one of the new acid/base concentrations.



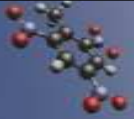
Example: Using K_w

- Jeff has a solution with a hydronium concentration of $1.2 \times 10^{-3} \text{ molL}^{-1}$. What is the hydroxide concentration of this solution?
 - Write down this: $1 \times 10^{-14} = [\text{H}_3\text{O}^+][\text{OH}^-]$
 - Substitute in what we know: $[\text{H}_3\text{O}^+] = 1.2 \times 10^{-3}$

$$1 \times 10^{-14} = 1.2 \times 10^{-3} \times [\text{OH}^-]$$
 - Now rearrange the numbers to make [OH⁻] the subject of the equation. Remember the rule, change the side - change the sign

$$[\text{OH}^-] = 1 \times 10^{-14} / 1.2 \times 10^{-3}$$

$$[\text{OH}^-] = 8.3 \times 10^{-12} \text{ molL}^{-1}$$



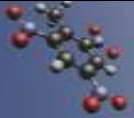
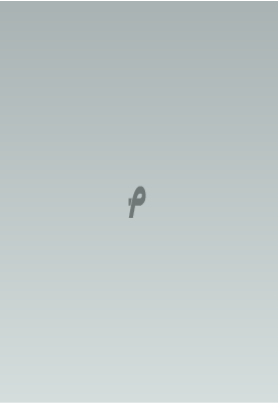
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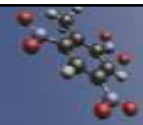
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